

Electronic Measurements

2- Signal Generators

2-1 Applications of Operational Amplifiers

2-2 Idea of Operation of Oscillators

2-3 Types of Signal Generators

- Low Frequency (**LF**) Gen.
- Function Gen.
- Radio Frequency (**RF**) Gen.
- Pulse Gen.
- Sweep Frequency Gen.

2-1 Applications of OP-Amp

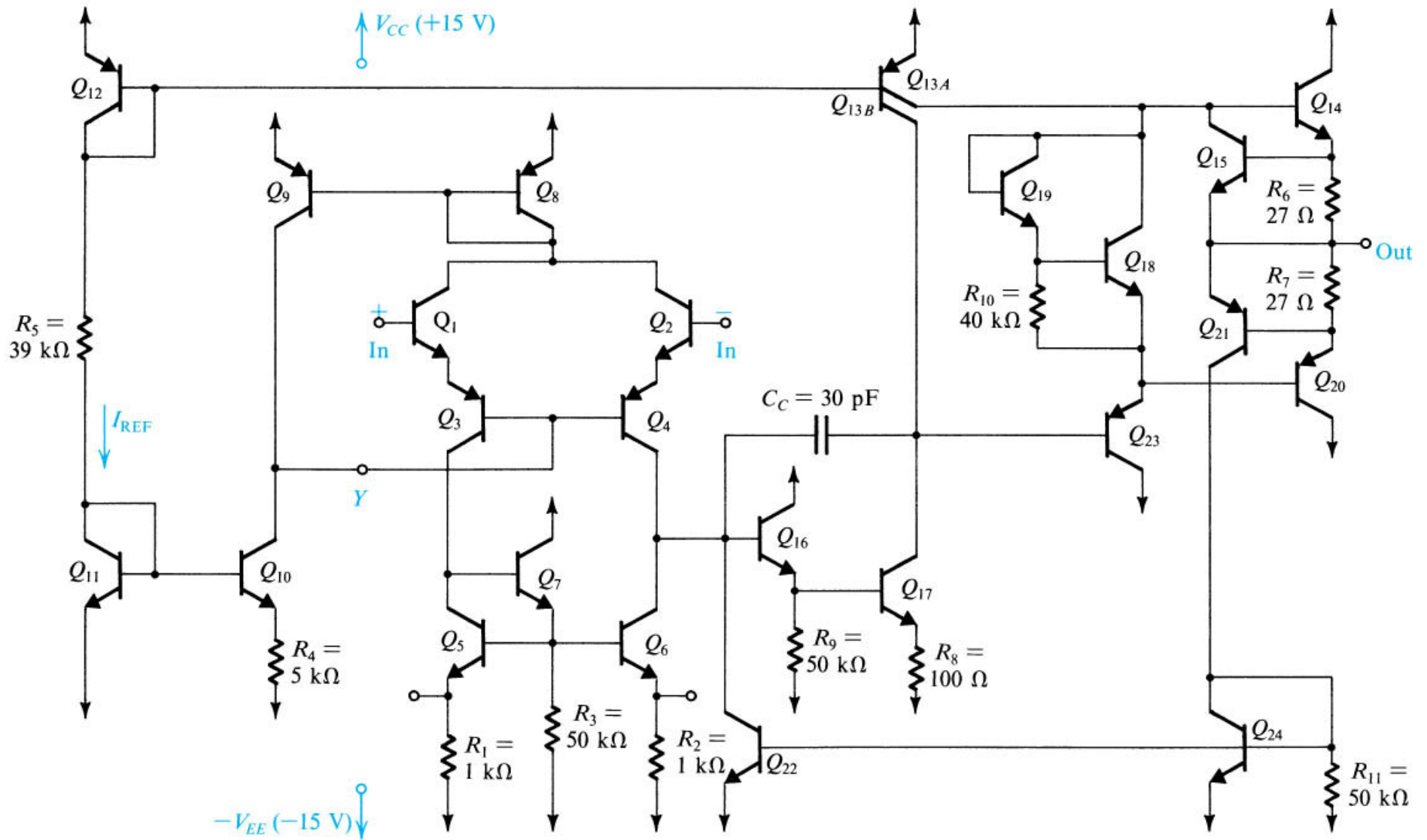
General Description:

The Op-Amp consists of transistors, resistors, capacitors, and power supplies. It has **two inputs** and **one output**.

Characteristics:

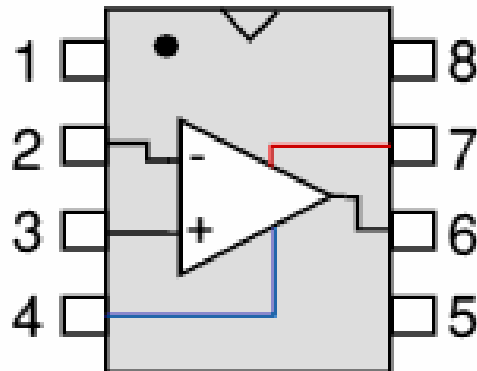
- Input resistance is very large (ideally: ∞)
- voltage gain is very large (ideally: ∞)
- Bandwidth is very large (ideally: ∞)
- Output resistance is very small (ideally: **zero**)

A Circuit Diagram of an Op-Amp

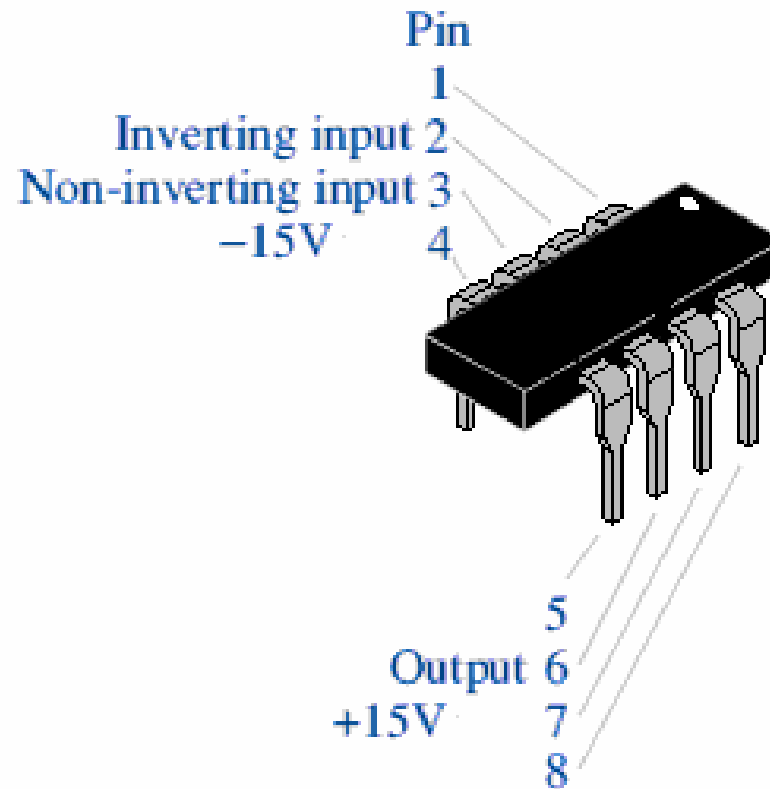


IC of an Op-Amp

741 Op Amp
8-pin

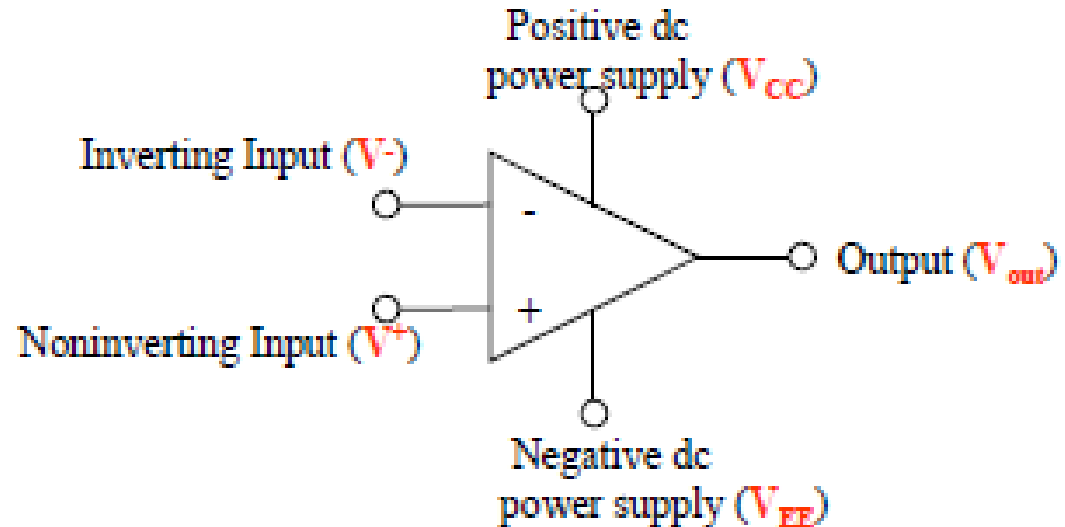
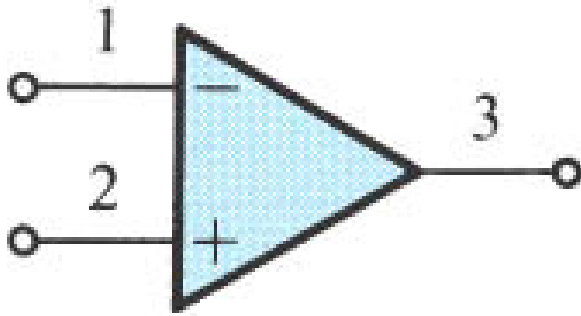


Top view



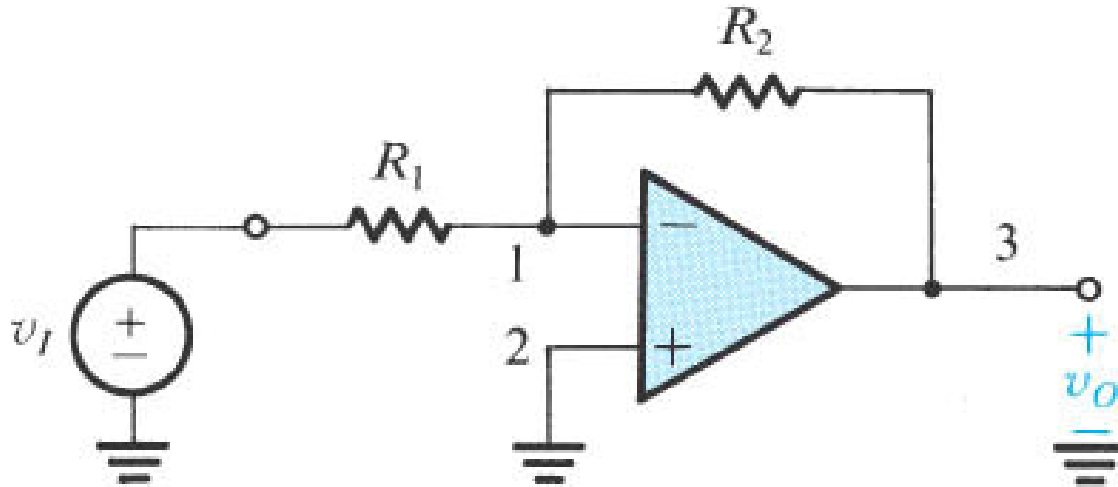
The most usual 741 package

Symbol



- Terminal **1** is called inverting terminal (**input 1**)
- Terminal **2** is called non-inverting terminal (**input 2**)
- Terminal **3** is the output terminal
- **The output** depends on the configuration.
- The output does not exceed the saturation levels (V_{CC} and V_{EE}) i.e. $V_{EE} \leq V_{out} \leq V_{CC}$
- For example, if $V_{CC}=15$, $V_{EE}=-15$, $\longrightarrow -15 \leq V_{out} \leq 15$

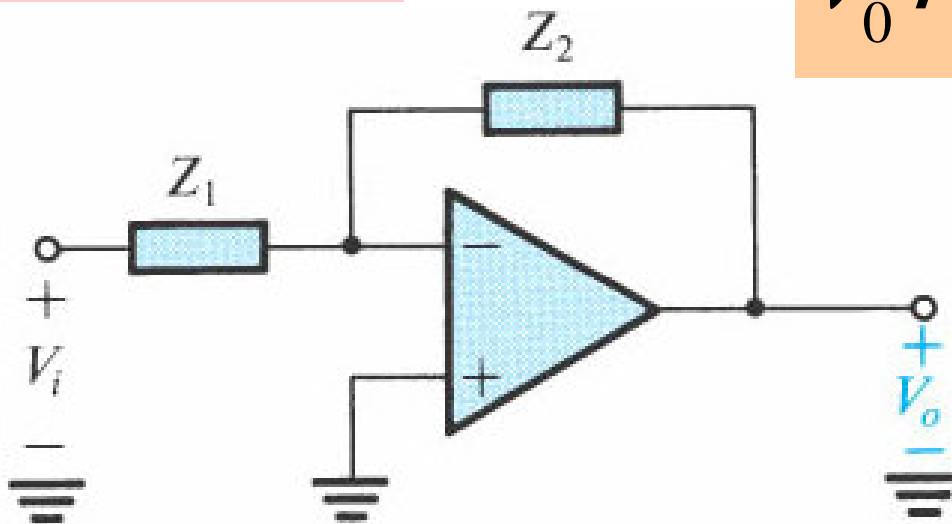
Inverting Op -Amp.



$$v_o / v_i = -R_2 / R_1$$

In general

$$v_o / v_i = -z_2 / z_1$$

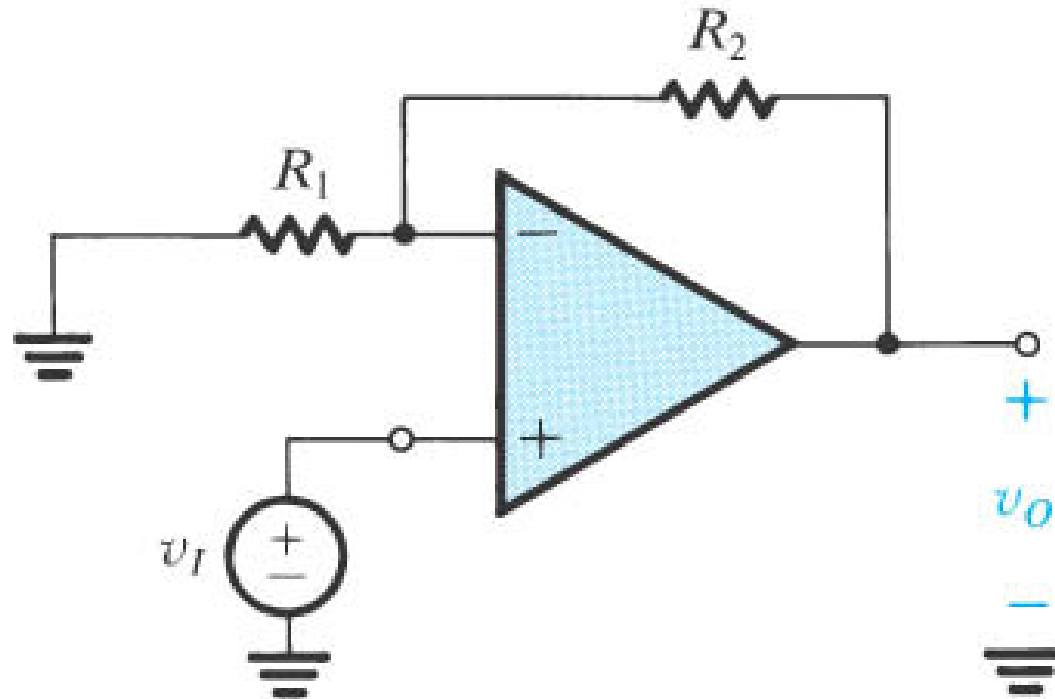


$$Z_R = R \text{ (resistance)}$$

$$Z_L = J\omega L \text{ (inductor)}$$

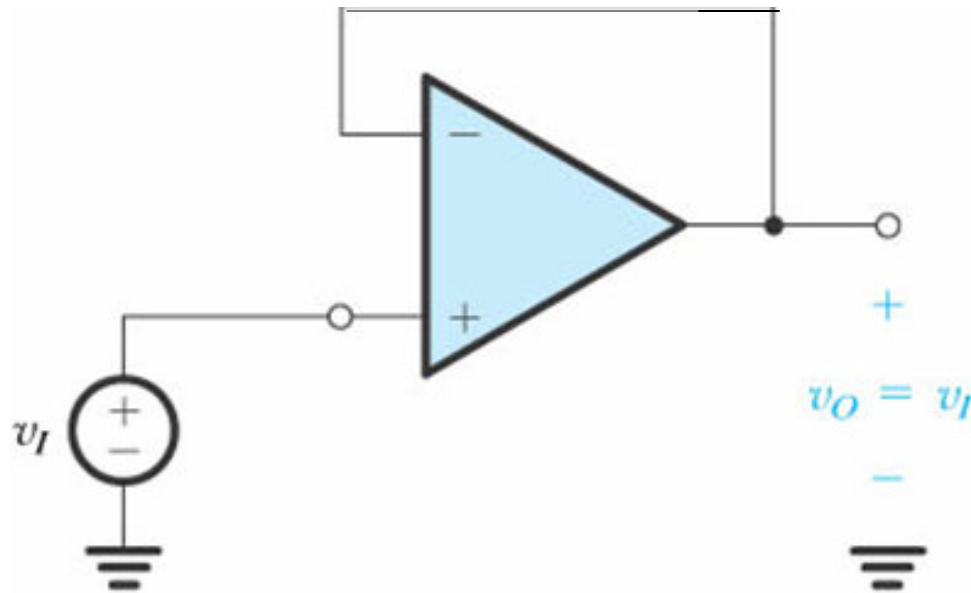
$$Z_C = 1 / J\omega C \text{ (capacitor)}$$

Non-Inverting Op-Amp



$$\frac{v_o}{v_i} = \left(1 + \frac{R_2}{R_1}\right)$$

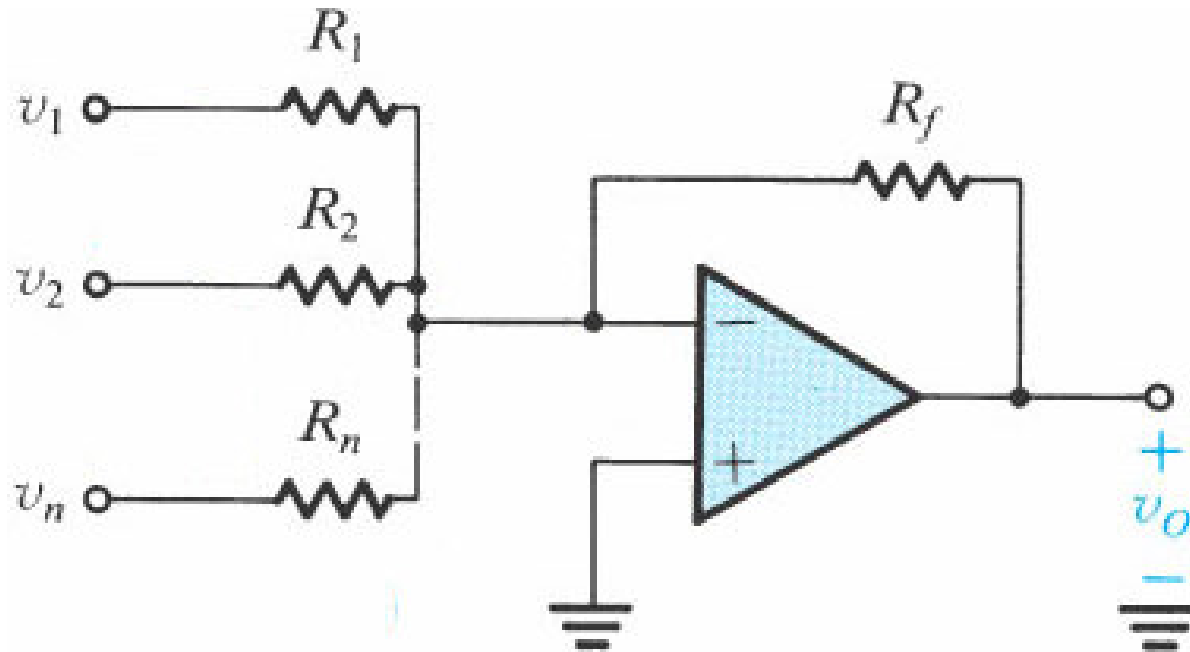
Voltage Follower (Buffer)



$$\frac{v_o}{v_i} = 1$$

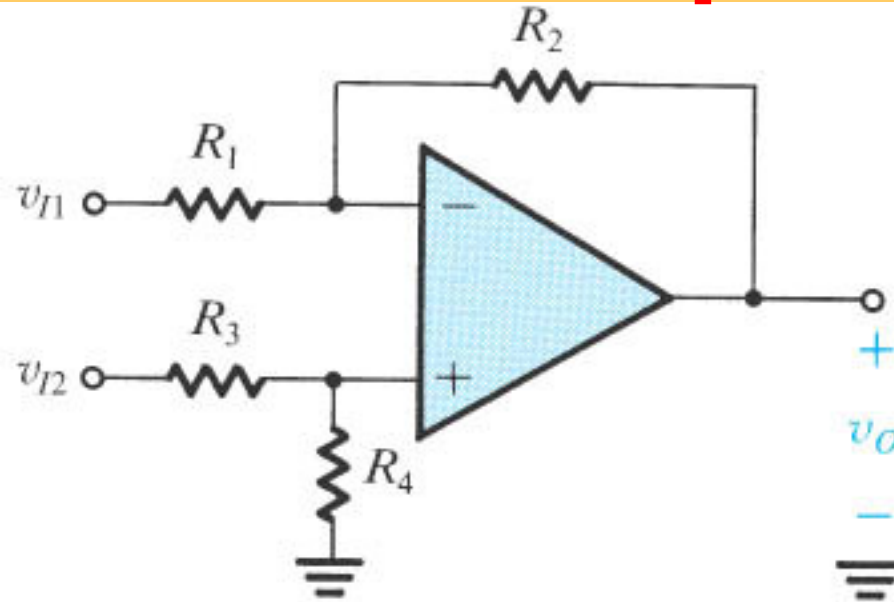
The gain is unity. The output is the same as the input but with very low output impedance (to prevent a high source resistance from being loaded by down by a low resistance load) .

Summing Amplifier



$$v_o = -\left(\frac{R_f}{R_1} v_1 + \frac{R_f}{R_2} v_2 + \dots + \frac{R_f}{R_n} v_n\right)$$

Difference Amplifier

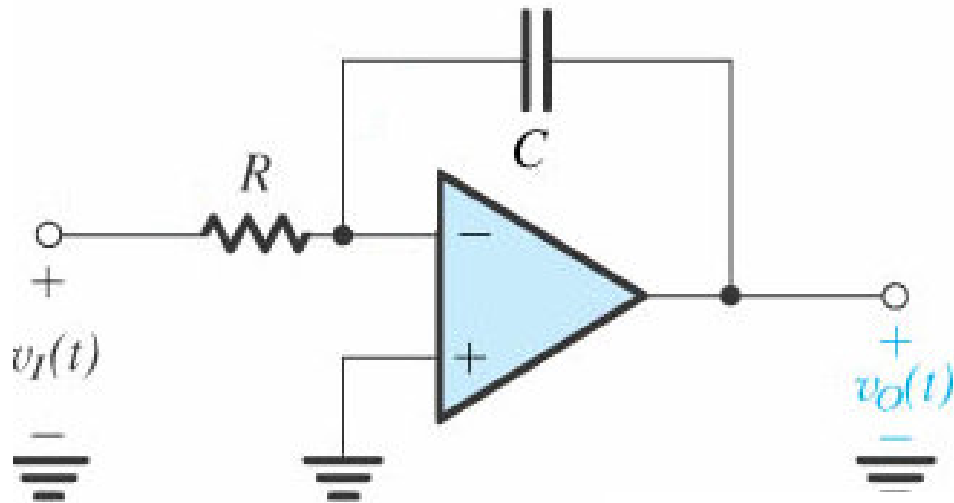


$$v_o = -\left(\frac{R_2}{R_1}\right) v_{i1} + \left(1 + \frac{R_2}{R_1}\right) \left(\frac{R_4}{R_3 + R_4}\right) v_{i2}$$

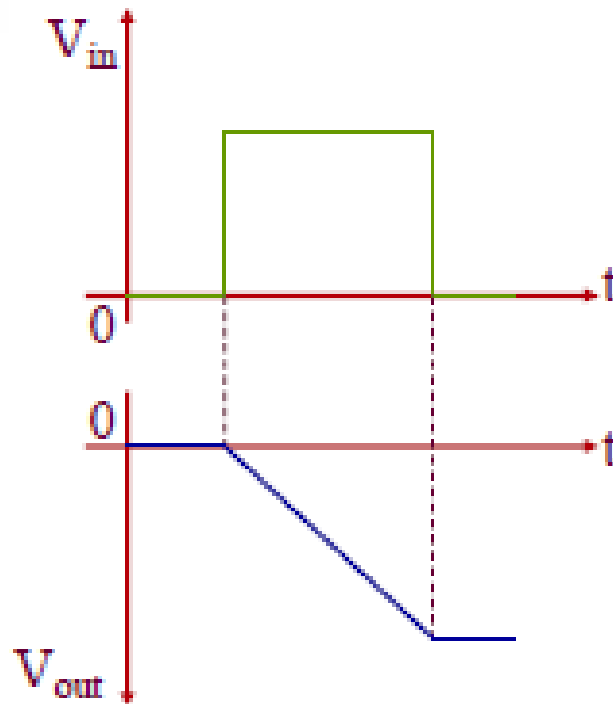
If $R_1 = R_3$, and $R_2 = R_4$ \longrightarrow $v_o = \left(\frac{R_2}{R_1}\right) (v_{i2} - v_{i1})$

Hint: Apply superposition principle.

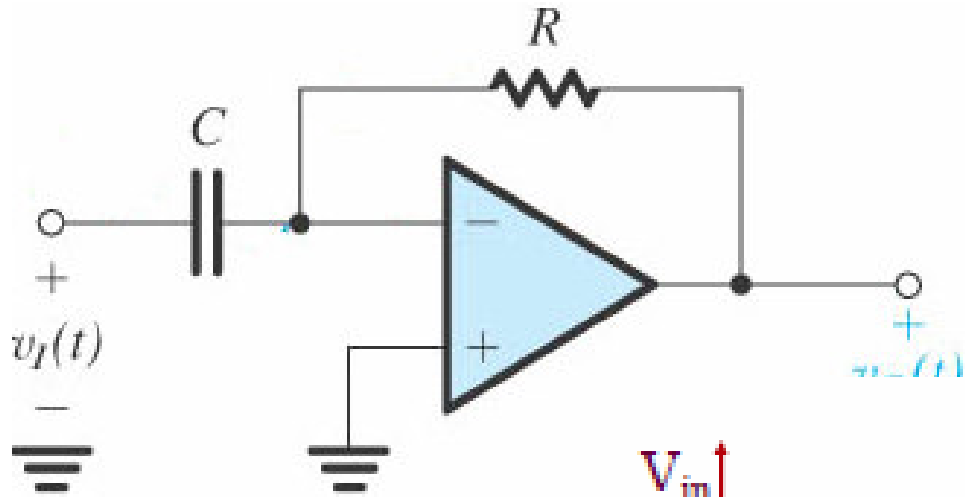
Integrator



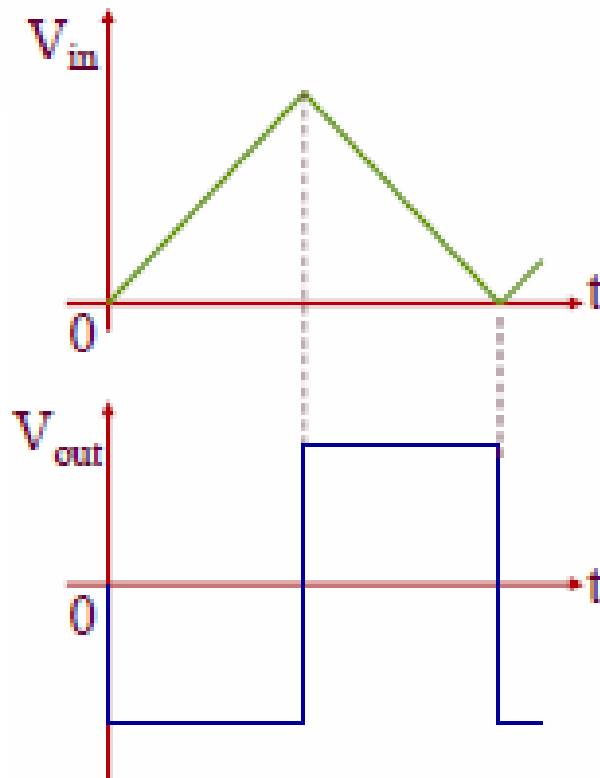
$$v_o = -\frac{1}{RC} \int_0^t v_i(t) dt$$



Differentiator



$$v_o = -RC \frac{dv_i(t)}{dt}$$

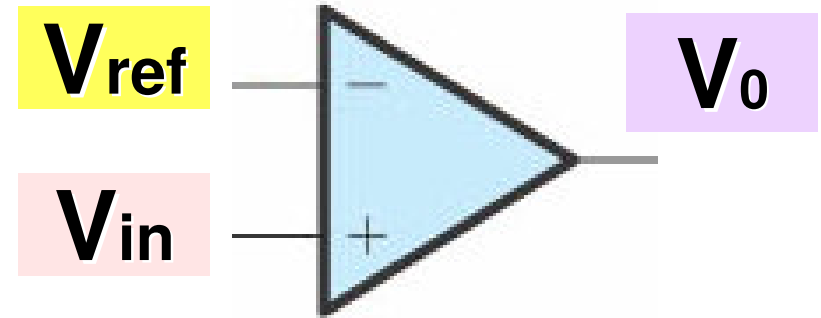


Comparator

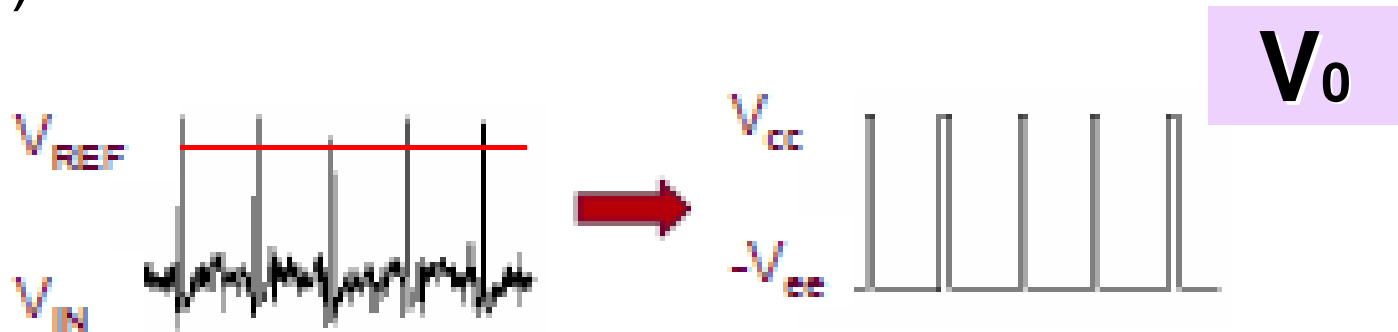
$$V_o = A(V_{in} - V_{ref})$$

If $V_{in} > V_{ref}$, (A is very large)
 V_o is very large in positive
(but $\leq V_{CC}$)

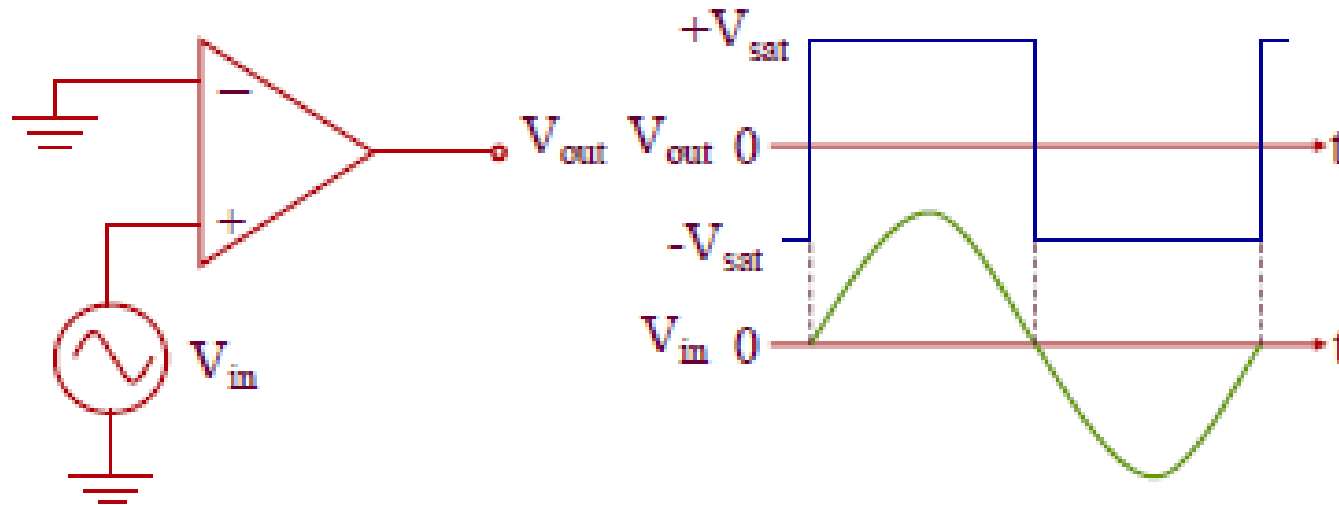
If $V_{in} < V_{ref}$, (A is very large)
 V_o is very large in negative
(but $\geq V_{EE}$)



Example



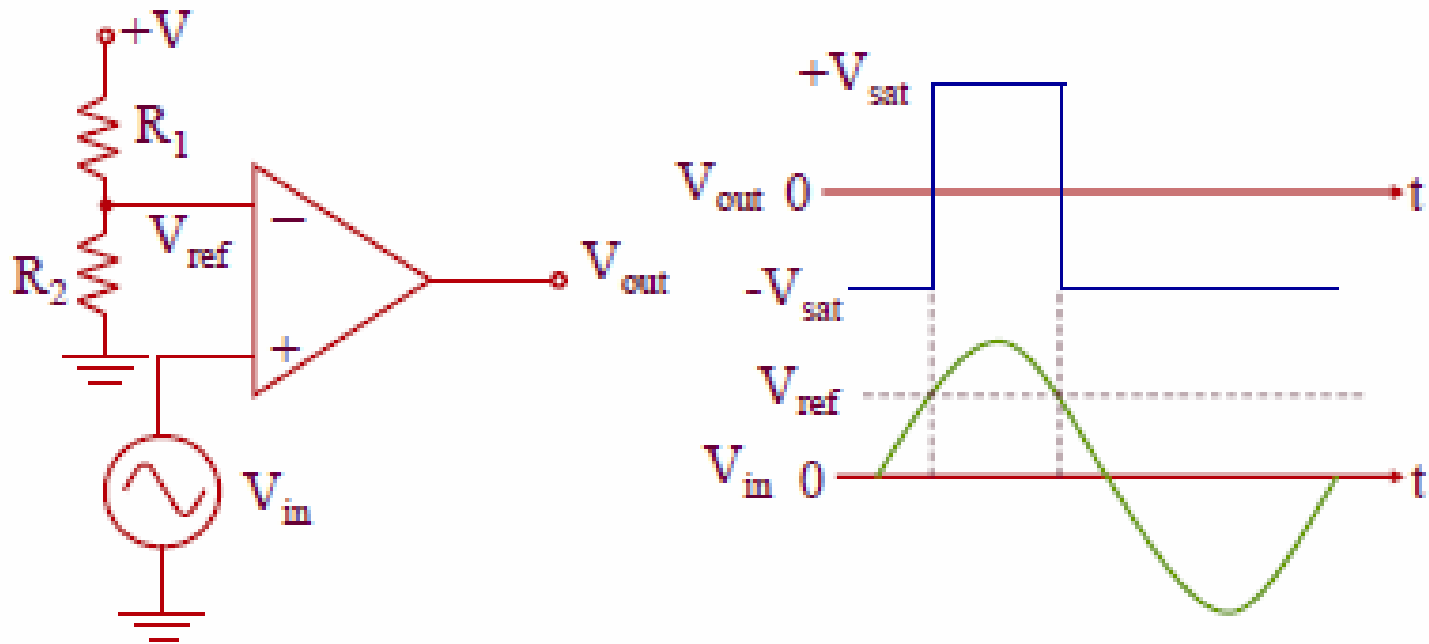
Zero Level Detector



In this case, $V_{ref} = 0$.

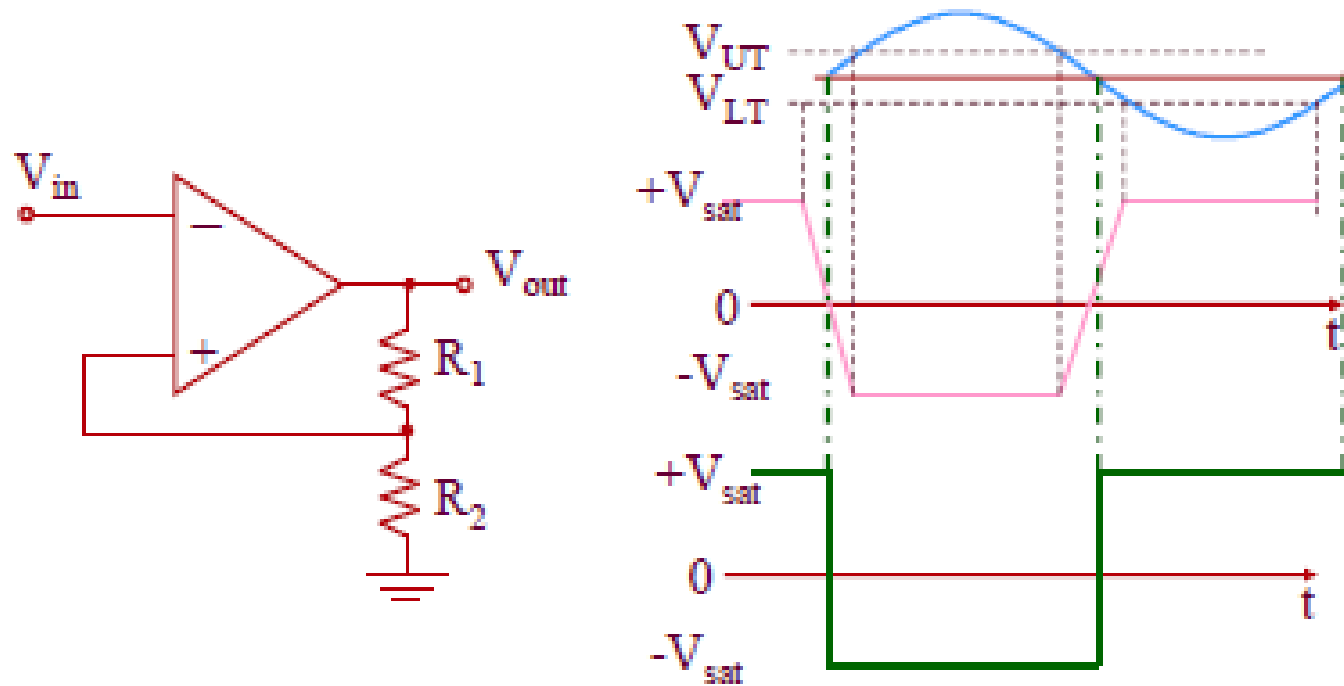
(Note: usually $V_{CC} = -V_{EE}$)

Non-Zero Level Detector



In this case, V_{ref} can be any value.
(according to the values of V , R_1 and R_2)

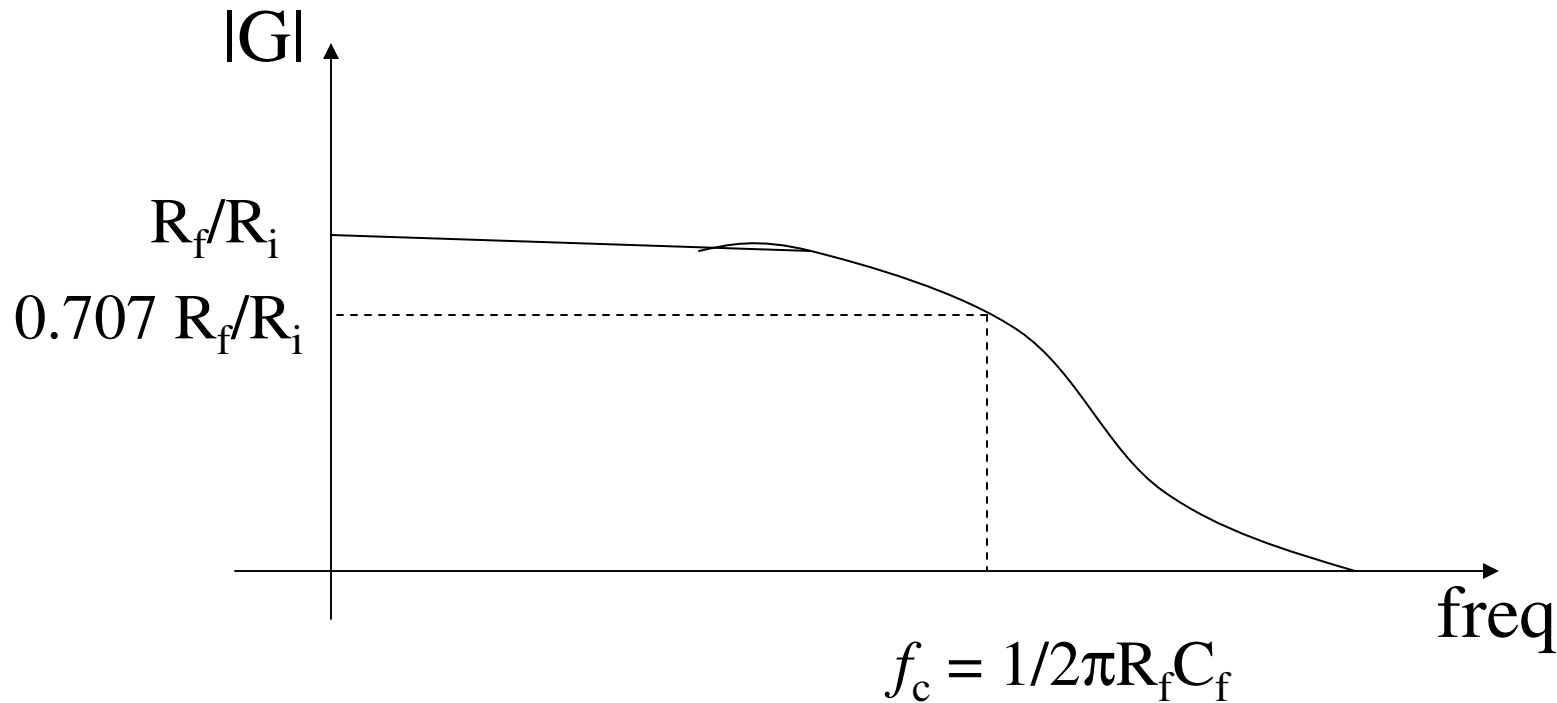
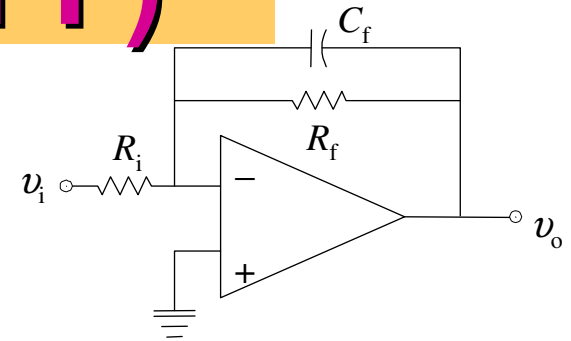
Schmitt Trigger Circuit



- It is used to generate a train of pulses.
- The input is applied to the negative terminal.
- R_1 and R_2 control the values of V_{UT} and V_{LT} .

Low-Pass Filter (LPF)

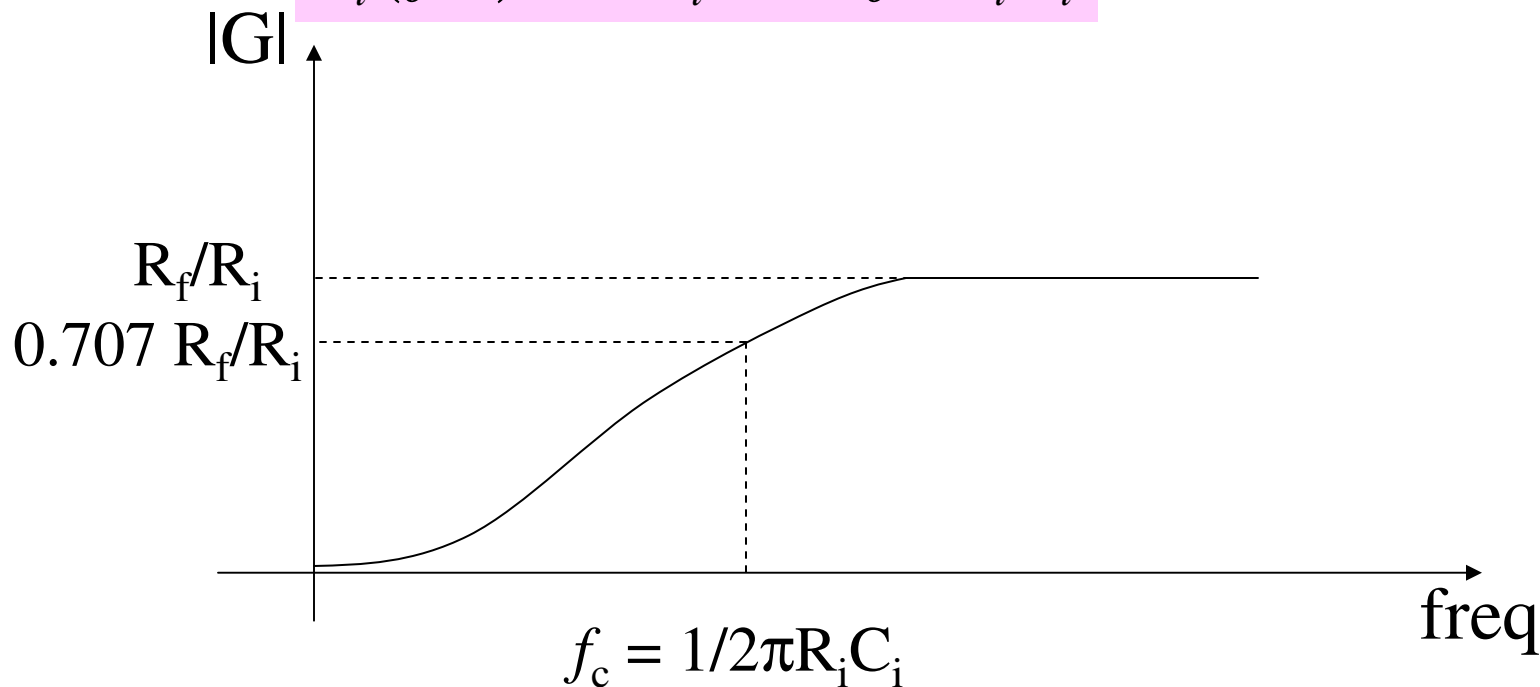
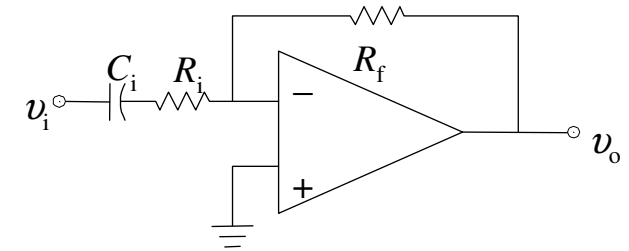
$$\text{Gain} = G = \frac{V_o(j\omega)}{V_i(j\omega)} = \frac{-R_f}{R_i} \frac{1}{1 + j\omega R_f C_f}$$



A low-pass filter attenuates high frequencies.

High-Pass Filter (HPF)

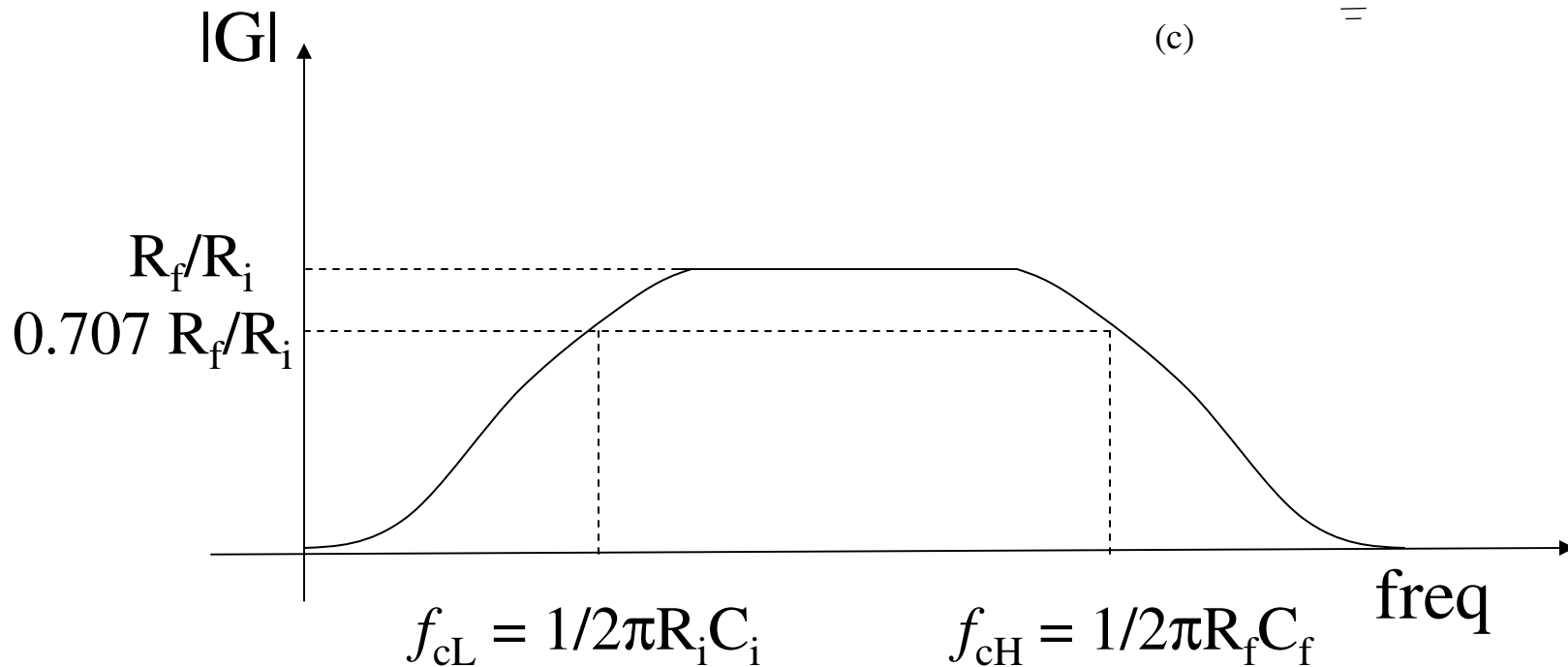
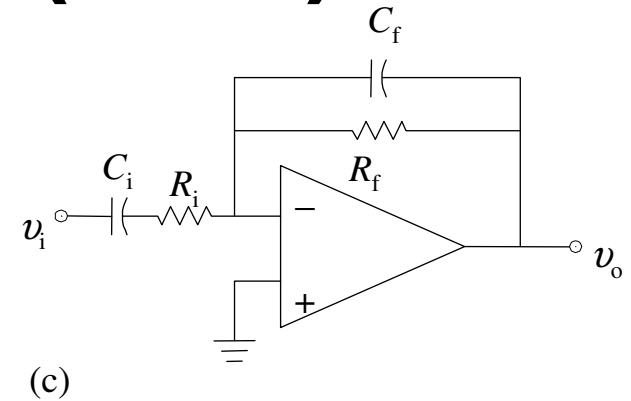
$$\text{Gain} = G = \frac{V_o(j\omega)}{V_i(j\omega)} = \frac{-R_f}{R_i} \frac{j\omega R_i C_i}{1 + j\omega R_i C_i}$$



A high-pass filter attenuates low frequencies and blocks dc.

Band-Pass Filter (BPF)

$$\frac{V_o(j\omega)}{V_i(j\omega)} = \frac{-j\omega R_f C_i}{(1 + j\omega R_f C_f)(1 + j\omega R_i C_i)}$$



A band-pass filter attenuates both low and high frequencies.

Notes:



- The amplifier increases the input power by a factor of **A** ($P_o / P_i = A$).
- The attenuator reduces the input power by a factor of **A** ($P_i / P_o = A$).
- It can be expressed in dB $\longrightarrow A(\text{dB}) = 10 \log (A)$
- If the power is in **watt**, its dB may be written as **dBw**
- If the power is in **milli watt**, its dB is written as **dBm**
- **$P_{\text{dBm}} = P_{\text{dB}} + 30$.**
- Ex: if $P = 20 \text{ dBw}$, it will be 50 dBm

- If $P_0/P_i > 1$, then $P_0 > P_i$ \longrightarrow
 $10 \log (P_0/P_i)$ is +ve dB (**amplifier**)
- If $P_0/P_i < 1$, then $P_0 < P_i$ \longrightarrow
 $10 \log (P_i/P_0)$ is +ve dB (**attenuator**)
 $10 \log (P_0/P_i)$ is -ve dB (**attenuator**)

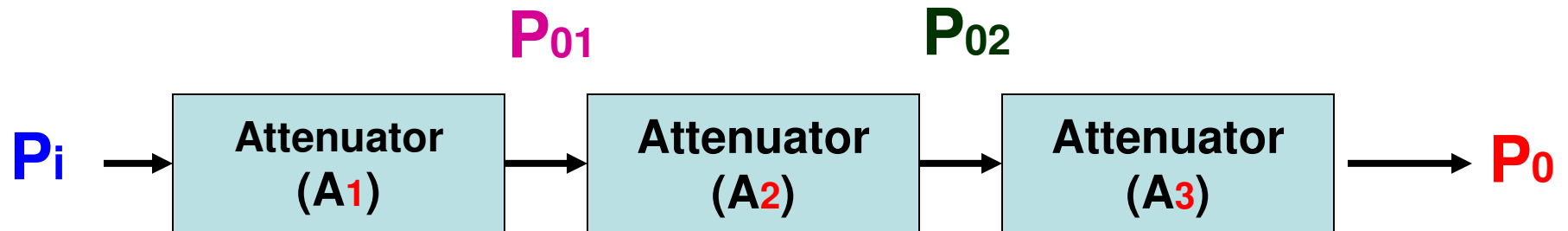
Attenuator
15 dB

$$\longrightarrow A(\text{dB}) = 10 \log(P_i / P_0) = 15 \text{ dB}$$

-15 dB

$$\longrightarrow A(\text{dB}) = 10 \log(P_i / P_0) = 15 \text{ dB}$$

Cascaded attenuators (or amplifiers)



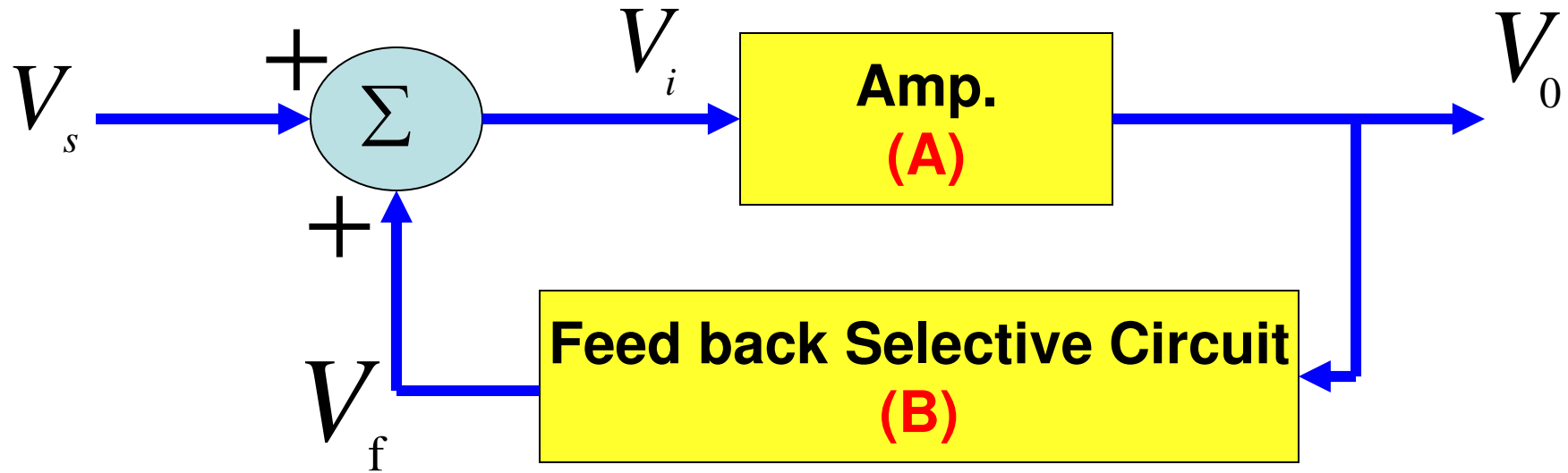
- $A_t = A_1 A_2 A_3$ (absolute values)
- $A_t \text{ (dB)} = 10 \log (A_1 A_2 A_3)$
- $A_t \text{ (dB)} = A_1 \text{ (dB)} + A_2 \text{ (dB)} + A_3 \text{ (dB)}$
- **Hint:** $\log (XY) = \log (X) + \log (Y)$
 $\log (X/Y) = \log (X) - \log (Y)$

2-2 Idea of Operation of Oscillators

- **Oscillation**: means fluctuation about the mean value
- **Oscillator**: circuit that generates oscillation
- **Characteristics**:
 - 1- wave-shape
 - 2- frequency
 - 3- amplitude
 - 4- distortion
 - 5- stability (w.r.t. amplitude and frequency)
 - 6- Common mode rejection ratio (CMRR) (if $V_{in1}=V_{in2}$, then V_{out} should be zero (rejected)).

- The oscillator is used to generate signals.
- The oscillator is the **major block of signal generators**.
- It generates periodic signals without input signal, i.e. it is not necessary to supply an input signal to initiate oscillation.
- It converts DC power from the power supply into AC signal power spontaneously, without the need for an AC input source.

Oscillator Idea of operation



The feed back is +ve F. B.

A is the open loop gain

B is the feed back gain

AB is the loop gain

$A_f = V_0/V_s =$ closed loop gain

$$V_0 = A V_i$$

$$V_f = B V_0$$

$$V_i = V_s + V_f$$

Then we have

$$V_0 = A(V_s + V_f) = A(V_s + B V_0) \quad \longrightarrow$$

$$A_f = \frac{V_0}{V_s} = \frac{A}{1 - AB}$$

If $V_s = 0$, the only way that V_0 can be nonzero is that **loop gain $AB=1$** .

Since the amp. and the feed back selective circuit contain inductors and capacitors, then A and B are complex numbers, i.e. **$AB = \text{Real} + \text{Imaj}$** .

It means that: the magnitude of the loop gain must be unity and the phase must be zero, i.e.

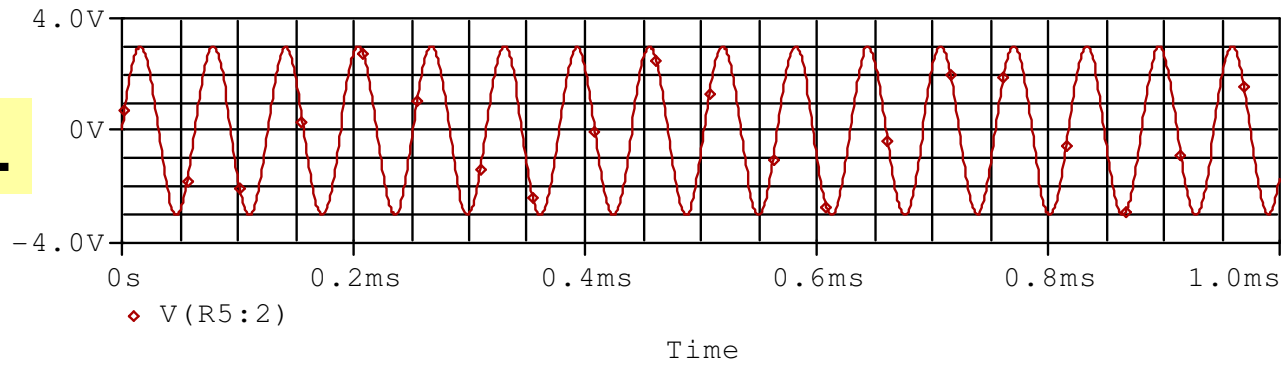
$$|AB|=1$$

$$\angle AB=0$$

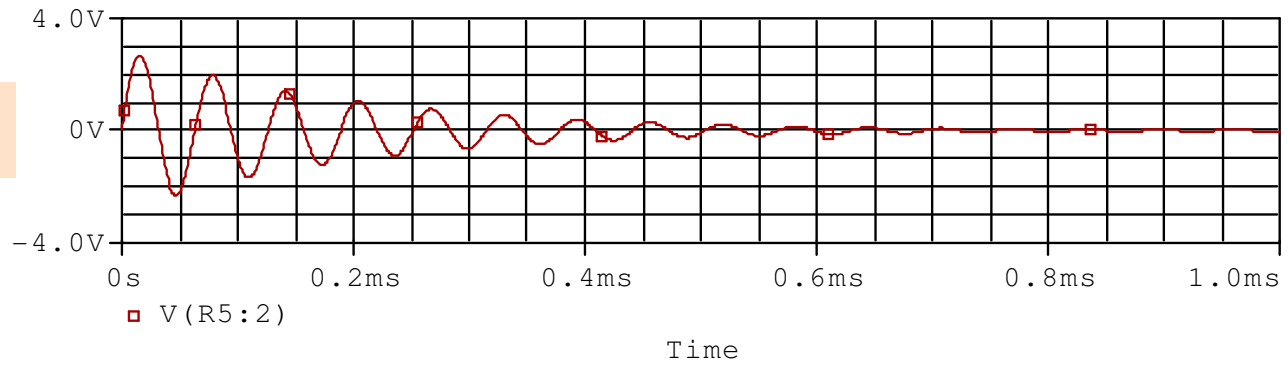
These two conditions are called **Barkhausen Criterion** (conditions of oscillation).

If at certain frequency we achieve the previous two conditions ($|AB| \approx 1$ is acceptable at the desired frequency to avoid saturation), the circuit will have a finite output for a zero input ($V_s=0$).

$|AB| = 1$



$|AB| < 1$



$|AB| > 1$

