



COLLEGE OF ENGINEERING & TECHNOLOGY

Department: Electronics and Communications Engineering

Lecturer: Associate Prof. Dr. Hussein Hamed Ghouz

Course: Microwave Technology

Course Code: EC546

Date : Sat., Nov., 8, 2015

Time : 60 Min.

Total Marks : 30

7TH Exam Version(A):

Answer All Questions

Q1: A transmission line section of length ℓ and characteristic impedance Z_1 is connected between the source of impedance Z_0 and load impedance Z_L as shown in Fig.1.

1. Calculate the numerical values of Z_{in} , Γ_{in} , and SWR_{in} for the following transmission line lengths (assume $z_0=75$ and $Z_L=215\Omega$):

A1. $\ell=\lambda/8$ A2. $\ell=2\lambda/8$ A3. $\ell=3\lambda/8$ A4. $\ell=4\lambda/8$

2. If this transmission line section is used as a matching transformer to match the load Z_L to Z_0 at frequency f_0 , find Z_1 , $|\Gamma_{in}(\theta)|$ and the fractional bandwidth " $\Delta f/f_0$ " assume, $\ell=\lambda/4$, $SWR_{max}=1.5$ and $f_0=5.0$ GHz. Sketch roughly $|\Gamma_{in}(\theta)|$.

Q2: Design three sections binomial matching transformer to match 215Ω load impedance to 75Ω transmission line at frequency $f_0=5.0$ GHz. Assume the maximum voltage standing wave ratio SWR_{max} required not exceed than **1.5**. Find $|\Gamma_{in}(\theta)|$, and then, calculate the fractional bandwidth. Compare your result to two sections Chebyscheff for the same design.

Q3: Given the load impedance $Z_L=215 - j75 \Omega$. Use a proper matching method to match the given load to the source impedance ($z_0=75 \Omega$) at frequency $f_0=5.0$ GHz assume $SWR_{max}=1.5$.

Q4: A two port network has a given scattering matrix [S] as shown in Fig.2. The input and output ports are connected to transmission lines of equal characteristic impedances and different lengths.

- Find the total scattering matrix [S'] then, check the reciprocity and lossless conditions
- Find the return loss seen at port 1' if port 2' is short circuit
- Find the insertion return losses seen at port 1' when port 2' is matched
- Find the return loss seen at port 1 when port 2 is open circuit

Good Luck

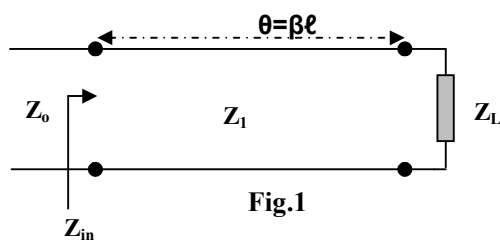


Fig.1

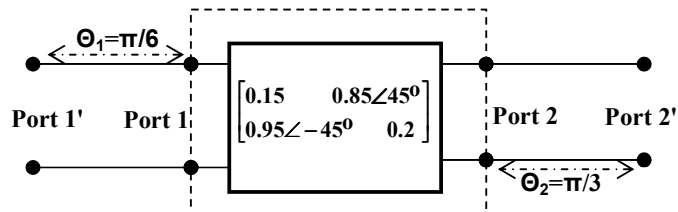


Fig.2

$$T_2(x) = 2x^2 - 1$$

$$2x \cos^2(x) = (1 + \cos(2x))$$